

# New Network Model

## Value of a Network to One User

$$V_{i,j} = B - C$$

Where:

- V = value of network  $j$  to user  $i$
- B = the benefit value of all transactions
- C = the cost of all transactions

# Online Book Purchase Case

If it costs \$26 to buy the book in a store or \$16 to buy it over the Internet, including shipping, the net value is \$10.

$$V = B - C$$

$$V = \$26 - \$16$$

$$V = \$10$$

# New Network Model

Network Value is Summation of Value to All Users

$$V[j] = V_{i,j} = B - C$$

# New Network Model

## Beckstrom's Law

$$\sum_{i=1}^n V_{i,j} = \sum_{k=1}^m \frac{B_{i,k}}{(1+r)^{t_k}} - \sum_{l=1}^p \frac{C_{i,l}}{(1+r)^{t_l}}$$

Where:

$V_{i,j}$  = value of a network  $j$  to all users

$V_{i,j}$  = net present value of all transactions to user  $i$  with respect to network  $j$ , over any time period

$j$  = identifies one network

$i$  = one user of the network

$B_{i,k}$  = the benefit value of transaction  $k$  to individual  $i$

$C_{i,l}$  = the cost of transaction  $l$  to individual  $i$

$r_k$  and  $r_l$  = the discount rate of interest to the time of transaction  $k$  or  $l$

$t_k$  or  $t_l$  = the elapsed time in years to transaction  $k$  or  $l$

$n, m, p$  = maximum number of individuals  $i$  and transactions  $k$  and  $l$

# The “ Network Effect”

For those networks where...

$$\sum_{i=1}^{n+1} V_{i,j} > \sum_{i=1}^n V_{i,j}$$

More users add to more total value

# The “ Network Effect”

From the current network member perspective

$$\sum_{i=1}^{n+1} V_{i,j} - V_{i=n+1,j} > \sum_{i=1}^n V_{i,j}$$

# The “Inverse Network Effect”

For those networks where...

$$\sum_{i=1}^{n+1} V_{i,j} < \sum_{i=1}^n V_{i,j}$$

More users reduce total value

# The “Inverse Network Effect”

From the current network member perspective

$$\sum_{i=1}^{n+1} V_{i,j} - V_{i=n+1,j} < \sum_{i=1}^n V_{i,j}$$

# Examples

Private Golf Clubs

AARP

Support groups

Costco

FaceBook

Coops

YPO

Your social networks

Twitter

Your customers

Internet

...

# Economics of Security

## Basic Model

$$V = B - C$$

## Security Model

$$V = B - C' - SI - L$$

Where:

SI = Security Investments

L = Losses

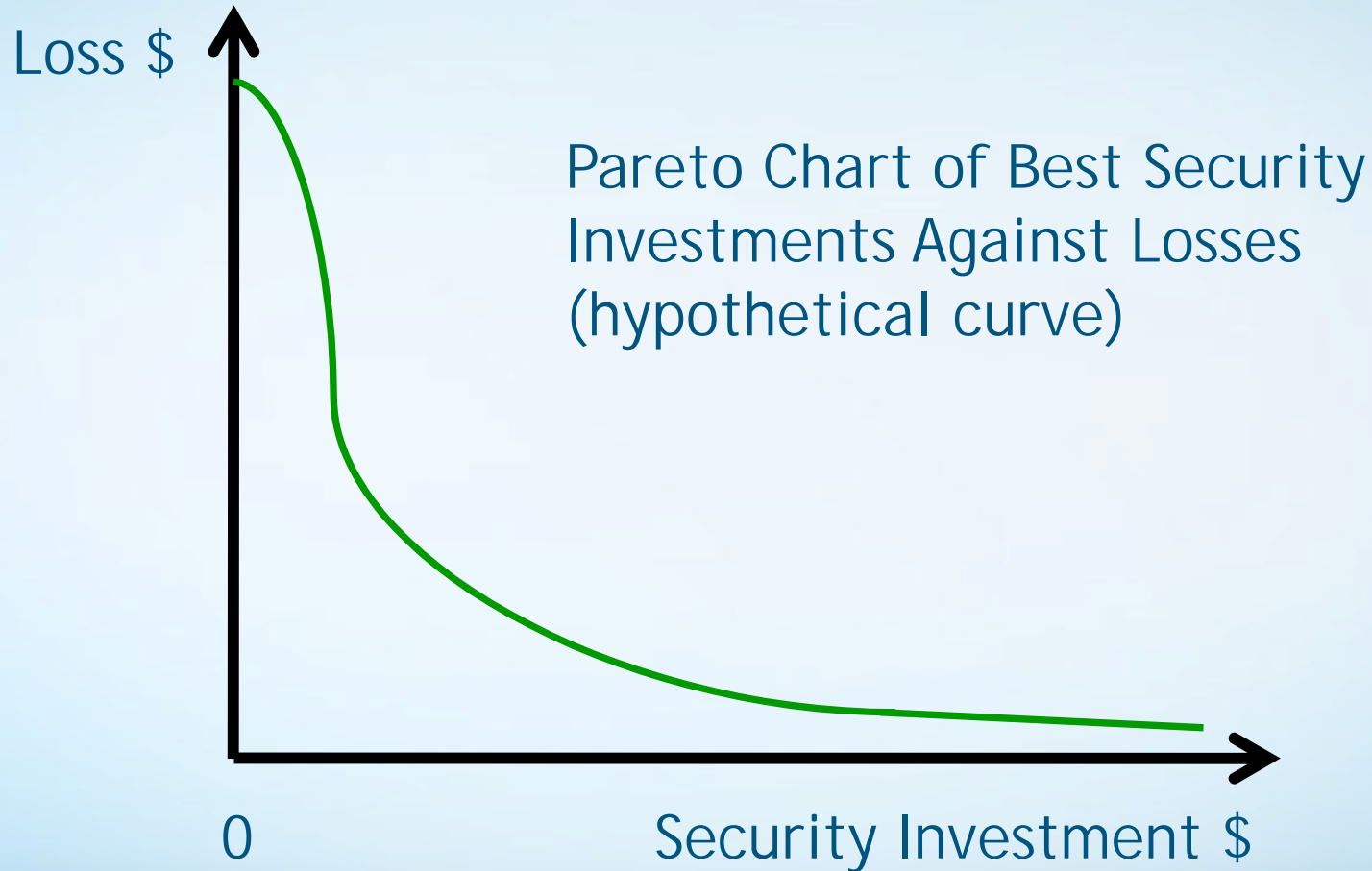
C' = C - SI - L (all costs except SI & L)

# Economics of Security

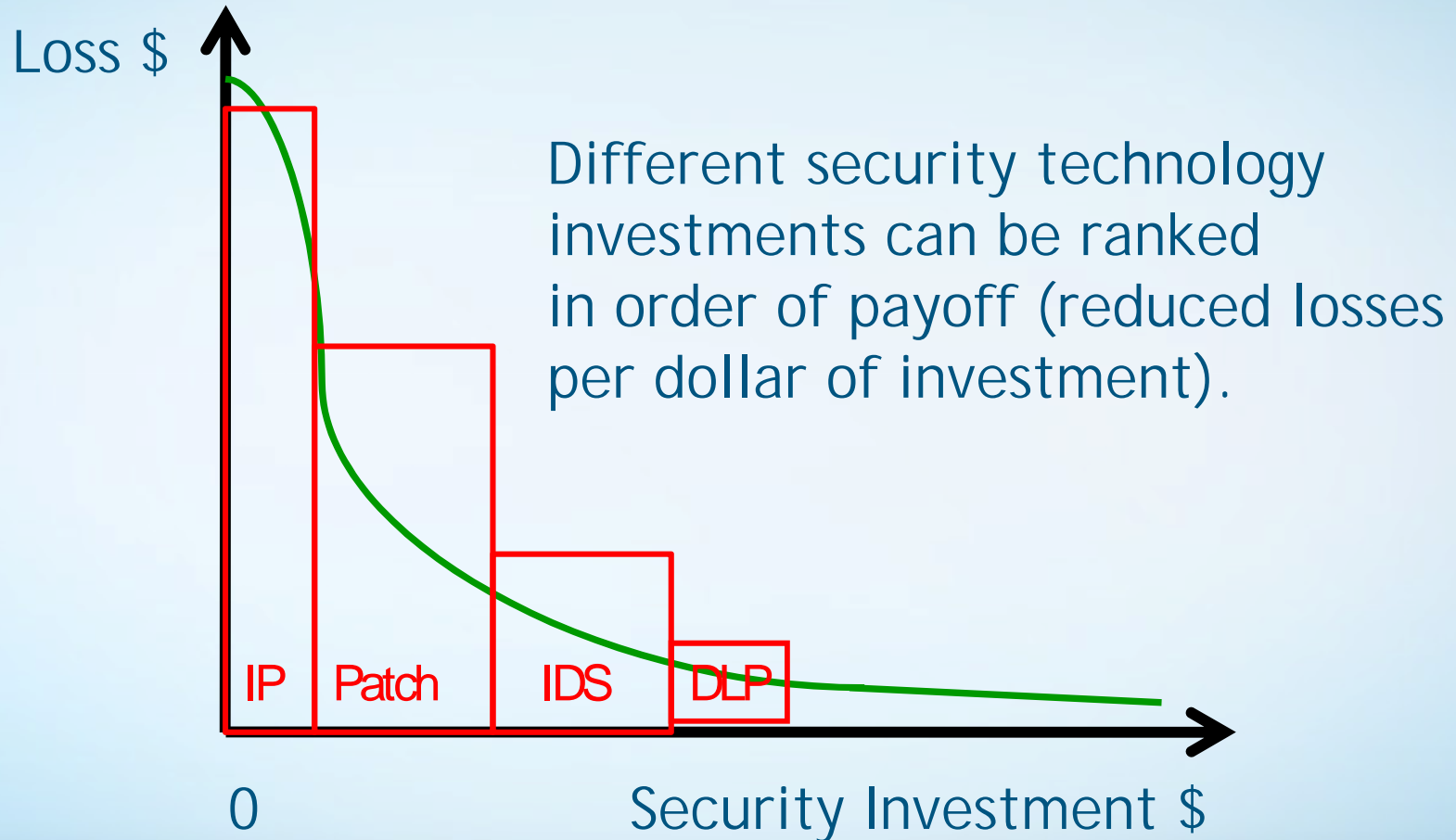
## The Fundamental Security Risk Management Function

Minimize Security Costs = SI + L

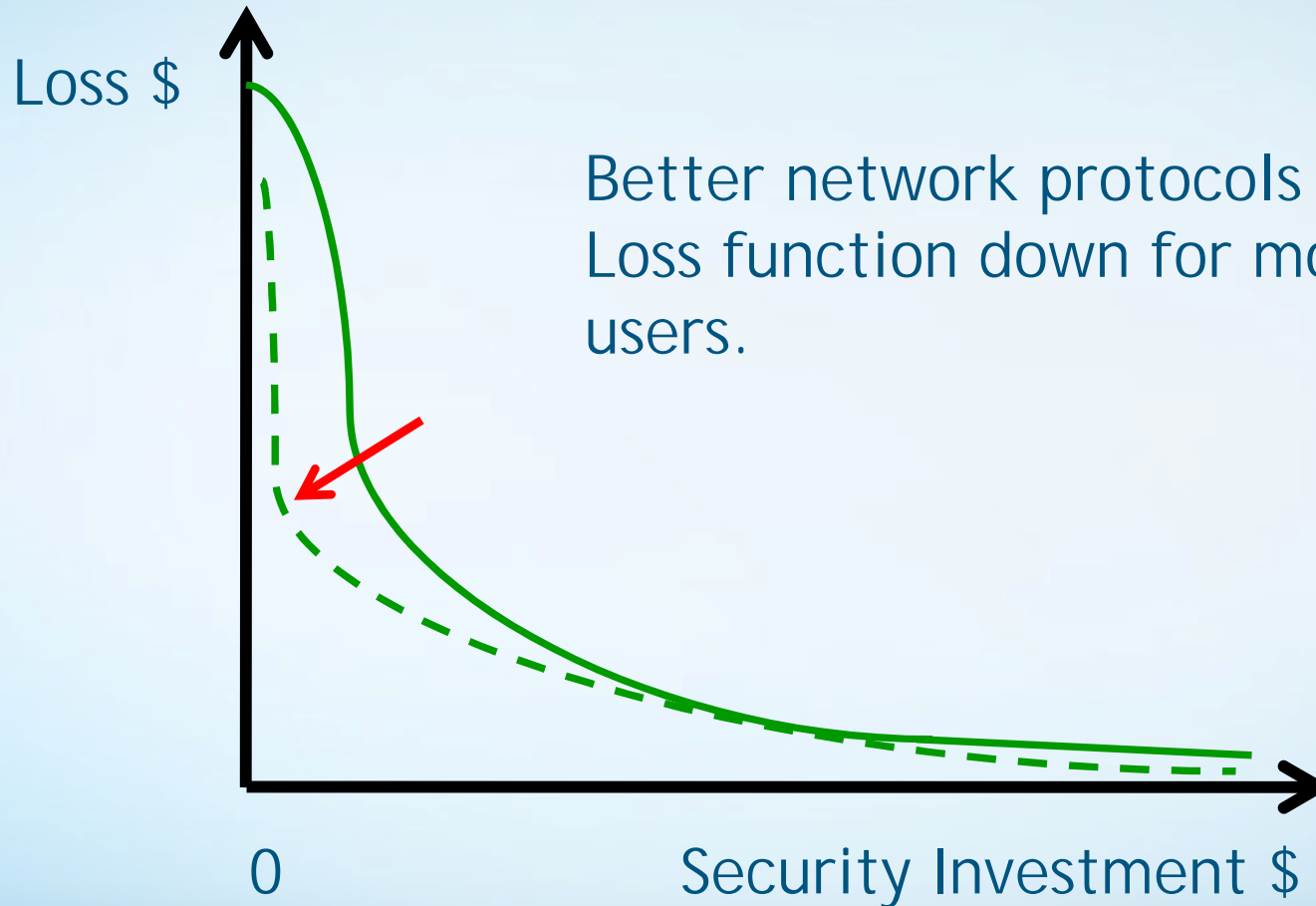
# Economics of Security



# Economics of Security



# Economics of Protocols



# Economics of Deterrence

Minimize the Hacker's Gain

$$\text{Minimize } V = B \downarrow - C' \uparrow - SI \uparrow - L \uparrow$$

For example, by seeking to reduce their Benefit or take. Increase their operating costs (making stealing more difficult).

Force them to invest more in their own Security Investments (making it harder for them not to get caught).

Increase their losses by improving enforcement and increasing penalties and imprisonment, for example.

# Economics of Networks

Value of network to individuals

Total value of a network

Security economics

Security risk management

Hacker economics

Economics of deterrence

Supply chain incentives

Economics of Internet protocols (architecture)

Economics of outages

Economics of resiliency (correlation of losses)

# The Model Can . . .

Be used to calculate or determine:

The value of a network

How to optimize a company's security investments

How to optimize a country's security investments

    Rigorously compare alternative security investments

    The economics of hacking

    The incredible leverage of supply chain hacking

    Incentivize discovering supply chain hacks

Incentivize better supply chain testing

    The value of re-architecting the Internet

    Analyze internet business models

    Value of having a diversity of networks

    Value of having redundant protocols within a network

# Beckstrom's Law Benefits

Granular

Scalable

Subset-able

Accurate

Similar to P&L concepts

Leverages cost accounting techniques

Testable

As simple as it can be but no simpler

A foundation for derivative models

# Beckstrom's Law Downside

You have to get the data or estimate it

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